



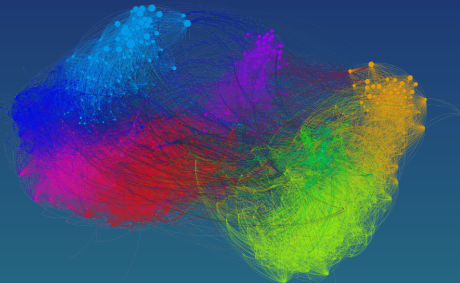
Graphs in Machine Learning

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Inria Lille - Nord Europe, France

TA: Pierre Perrault

Partially based on material by: Andreas Krause,
Branislav Kveton, Michael Kearns



Piazza for Q&A's



Purpose

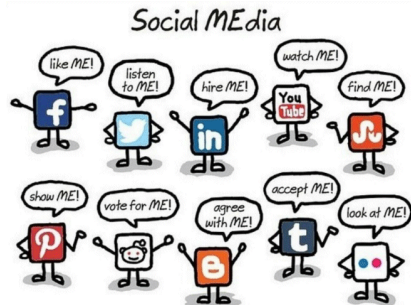
- ▶ registration for the class
- ▶ register with your **school** email and **full name**
- ▶ online course discussions and announcements
- ▶ questions and answers about the material and logistics
- ▶ **students encouraged to answer each others' questions**
- ▶ homework assignments
- ▶ virtual machine link and instructions
- ▶ **draft of the slides before the class**

https://piazza.com/ens_cachan/fall2017/mvagraphsml **NO EMAILS!**

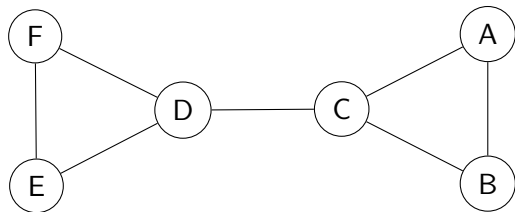
class code given during the class

Graphs from social networks

- ▶ people and their interactions
- ▶ directed (Twitter) and undirected (Facebook)
- ▶ structure is rather a *phenomena*
- ▶ typical ML tasks
 - ▶ advertising
 - ▶ product placement
 - ▶ link prediction (PYMK)

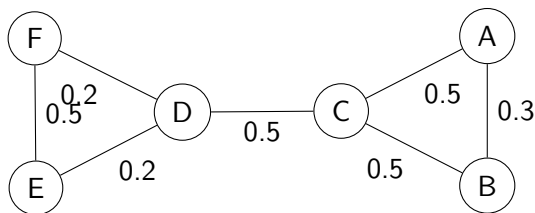


Success story #1 Product placement - problem



Maximizing the Spread of Influence through a Social Network
<http://www.cs.cornell.edu/home/kleinber/kdd03-inf.pdf>

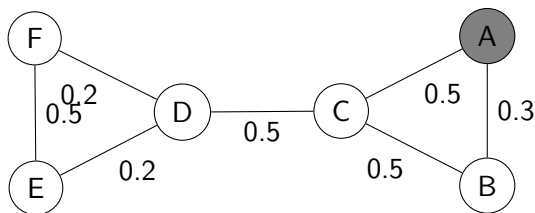
Success story #1 Product placement - problem



Who should get free cell phones?

$V = \{\mathbf{A}$ lice, \mathbf{B} ob, \mathbf{C} harlie, \mathbf{D} orothy, \mathbf{E} ric, \mathbf{F} iona}

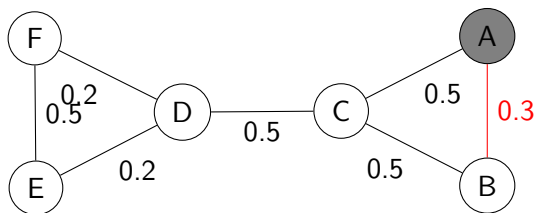
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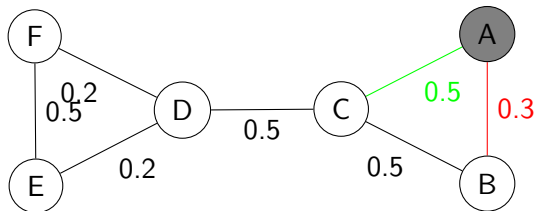
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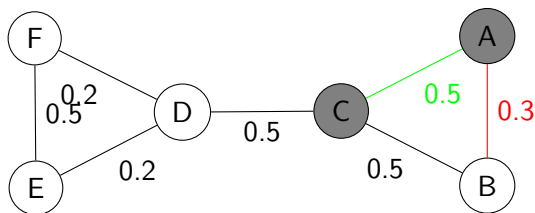
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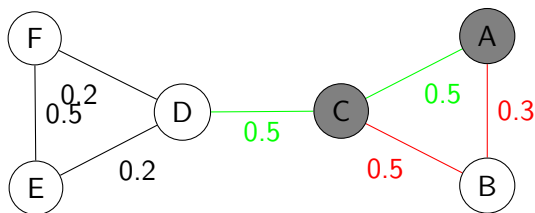
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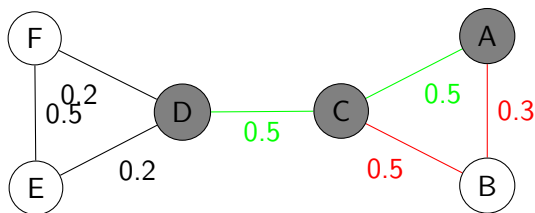
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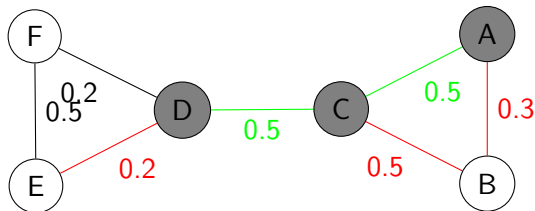
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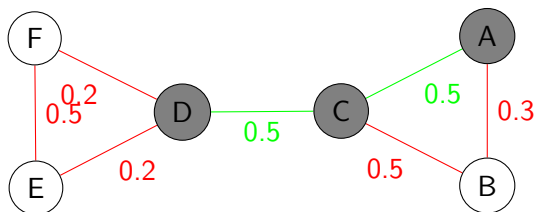
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Success story #1 Product placement - problem



Who should get free cell phones?

$V = \{\mathbf{A}lice, \mathbf{B}ob, \mathbf{C}harlie, \mathbf{D}orothy, \mathbf{E}ric, \mathbf{F}iona\}$

$F(S)$ = Expected number of people influenced when targeting $S \subseteq V$ under some propagation model - e.g., cascades

How would you choose the target customers?

highest degree, close to the center, . . .

Submodularity: Definition

A **set function** on a discrete set A is **submodular** if for any $S \subseteq T \subseteq A$ and for any $e \in A \setminus T$

$$f(S \cup \{e\}) - f(S) \geq f(T \cup \{e\}) - f(T)$$

Example: $S = \{\text{stuff}\} = \{\text{bread, apple, tomato, ...}\}$

$f(V)$ = cost of getting products V

$$f(\{\text{bread}\}) = c(\text{bakery}) + c(\text{bread})$$

$$f(\{\text{bread, apple}\}) = c(\text{bakery}) + c(\text{bread}) + c(\text{market}) + c(\text{apple})$$

$$f(\{\text{bread, tomato}\}) = c(\text{bakery}) + c(\text{bread}) + c(\text{market}) + c(\text{tomato})$$

$$f(\{\text{bread, tomato, apple}\}) = c(\text{bakery}) + c(\text{bread}) + c(\text{market}) + c(\text{tomato}) + c(\text{apple})$$

Adding an apple to the smaller set costs more!

$$\{\text{bread}\} \subseteq \{\text{bread, tomato}\}$$

$$f(\{\text{bread, apple}\}) - f(\{\text{bread}\}) > f(\{\text{bread, tomato, apple}\}) - f(\{\text{tomato, bread}\})$$

Diminishing returns: Buying in bulk is cheaper!

Submodularity: Application

Objective: Find $\arg \max_{S \subseteq A, |S| \leq k} f(S)$

Property: NP-hard in general

Special case: f is also **nonnegative** and **monotone**.

Other examples: information, graph cuts, covering, ...

Link to our **product placement** problem on a **social network graph**?

submodular?, nonnegative?, monotone?, k ?

<http://thibaut.horel.org/submodularity/papers/nemhauser1978.pdf>

Let $S^* = \arg \max_{S \subseteq A, |S| \leq k} f(S)$ where f is monotonic and submodular set function and let S_{Greedy} be a **greedy solution**.

$$\text{Then } f(S_{\text{Greedy}}) \geq \left(1 - \frac{1}{e}\right) \cdot f(S^*).$$

Submodularity: Greedy algorithm

- 1: **Input:**
- 2: k : the maximum allowed cardinality of the output
- 3: V : a ground set
- 4: f : a monotone, non-negative, and submodular function
- 5: **Run:**
- 6: $S_0 = \emptyset$
- 7: **for** $i = 1$ **to** k **do**
- 8: $S_i \leftarrow S_{i-1} \cup \left\{ \arg \max_{a \in V \setminus S_{i-1}} [f(\{a\} \cup S_{i-1}) - f(S_{i-1})] \right\}$
- 9: **end for**
- 10: **Output:**
- 11: Return $S_{\text{Greedy}} = S_k$

Let $S^* = \arg \max_{S \subseteq A, |S| \leq k} f(S)$ where f is monotonic and submodular set function and let S_{Greedy} be a **greedy solution**.

$$\text{Then } f(S_{\text{Greedy}}) \geq \left(1 - \frac{1}{e}\right) \cdot f(S^*).$$

Submodularity: Approximation guarantee of Greedy

Let S_i be the i -th set selected by Greedy, $S_{\text{Greedy}} = S_k$. We show

$$f(S^*) - f(S_i) \leq \left(1 - \frac{1}{k}\right)^i \cdot f(S^*).$$

Difference from the optimum before the i -th step ...

$$\begin{aligned} f(S^*) - f(S_{i-1}) &\leq f(S^* \cup S_{i-1}) - f(S_{i-1}) \\ &\leq \sum_{a \in S^* \setminus S_{i-1}} (f(\{a\} \cup S_{i-1}) - f(S_{i-1})) \\ &\leq \sum_{a \in S^* \setminus S_{i-1}} (f(S_i) - f(S_{i-1})) \\ &\leq k (f(S_i) - f(S_{i-1})) \end{aligned}$$

Difference from the optimum after the i -th step ...

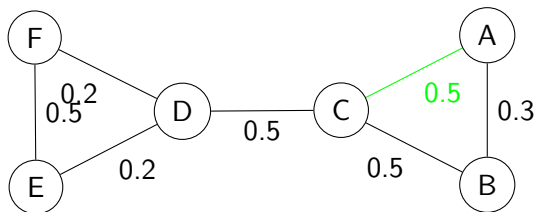
$$\begin{aligned} f(S^*) - f(S_i) &= f(S^*) - f(S_{i-1}) - (f(S_i) - f(S_{i-1})) \\ &\leq f(S^*) - f(S_{i-1}) - \frac{f(S^*) - f(S_{i-1})}{k} \end{aligned}$$

Submodularity: Graph-related examples

- ▶ Influence maximization on networks (current example)
- ▶ Maximum-weight spanning trees
- ▶ Graph cuts
- ▶ Structure learning in graphical models (PGM course)
- ▶ More examples <http://people.math.gatech.edu/~tetal/LINKS/IWATA/SFGT.pdf>
- ▶ Deep Submodular Functions (2017) <https://arxiv.org/pdf/1701.08939.pdf>

back to the influence-maximization example ...

Success story #1 Product placement - solution



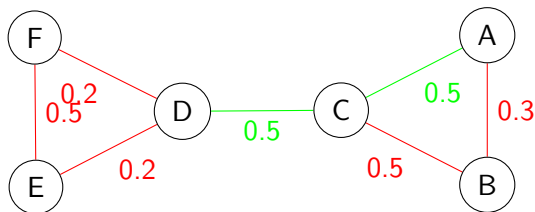
Key idea: Flip coins c in advance \rightarrow “live” edges

MIIA: http://hanj.cs.illinois.edu/pdf/dmkd12_cwang.pdf/

Tutorial: cf. Andreas Krause <http://submodularity.org/>

Course: Jeff Billmes at UW

Success story #1 Product placement - solution



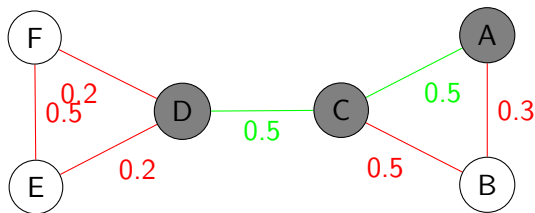
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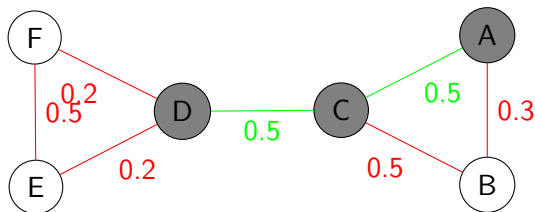
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 $F_c(V)$ = People influenced under outcome c (set cover!)

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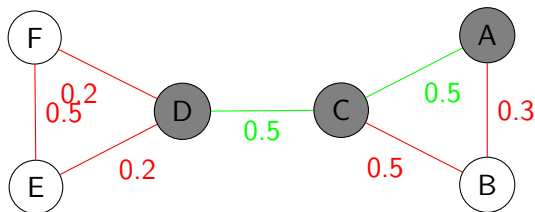
$F(V) = \sum_c P(c)F_c(V)$ is submodular as well!

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Computational issues?

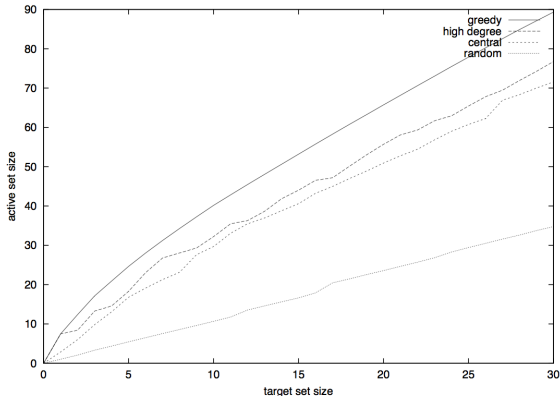
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Success story #1 Product placement - comparison

influence on the ArXiv/Physics co-authorship graph



greedy approximation does better than the centrality measures

Graphs from utility and technology networks

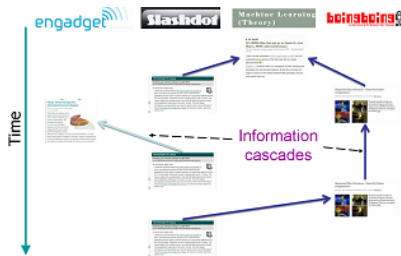
- ▶ link services
- ▶ power grids, roads, transportation networks, Internet, sensor networks, water distribution networks
- ▶ structure is either *hand designed* or not
- ▶ typical ML tasks
 - ▶ best routing under unknown or variable costs
 - ▶ identify the node of interest



Berkeley's Floating Sensor Network

Graphs from information networks

- ▶ web
- ▶ blogs
- ▶ wikipedia
- ▶ typical ML tasks
 - ▶ find influential sources
 - ▶ search (PageRank)



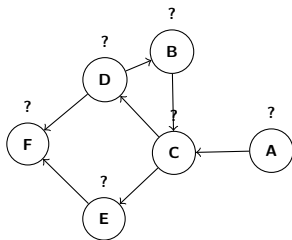
Blog cascades (ETH) - *submodularity*

Success story #2 Google PageRank

Objective: **Rank** all web pages (nodes on the graph) by how **many** other pages link to them and how **important** they are.

basic PageRank is independent of query and the page content

Internet \rightarrow graph \rightarrow matrix \rightarrow stochastic matrix \mathbf{M} ($\sum_j \mathbf{M}_{ij} = 1$)



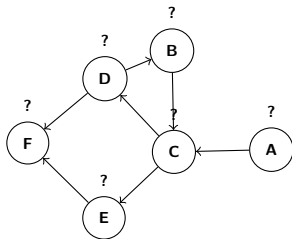
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Random Surfer Process



Success story #2 Google PageRank

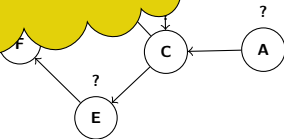
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Random Surfer Process

What is wrong with it?



Success story #2 Google PageRank

<http://infolab.stanford.edu/~backrub/google.html>:

PageRank can be thought of as a model of user behavior. We assume there is a “random surfer” who is given a web page at random and keeps clicking on links, never hitting “back” but eventually gets bored and starts on another random page.

- ▶ page is **important** if **important** pages link **to** it
 - ▶ circular definition
- ▶ importance of a page is distributed **evenly**
- ▶ probability of being bored is 15%

Success story #2 Google PageRank

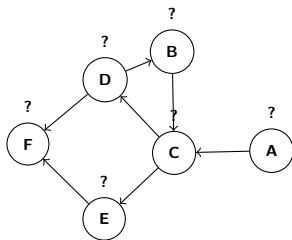
Google matrix: $\mathbf{G} = (1 - p)\mathbf{M} + p \cdot \frac{1}{N}\mathbf{1}_{N \times N}$, where $p = 0.15$

Success story #2 Google PageRank

Google matrix: $\mathbf{G} = (1 - p)\mathbf{M} + p \cdot \frac{1}{N}\mathbf{1}_{N \times N}$, where $p = 0.15$

G is stochastic why? What is G_{aa} for any a ? We look for $\mathbf{G}\mathbf{v} = \mathbf{1} \times \mathbf{v}$, steady-state vector, a right eigenvector with eigenvalue 1. why?

Perron's theorem: Such \mathbf{v} exists and it is **unique** if the entries of \mathbf{G} are positive.

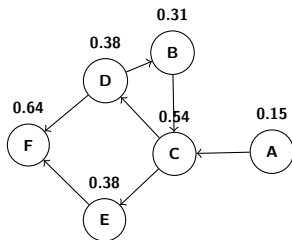


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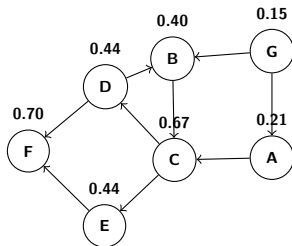


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Success story #2 Google PageRank

History: [Desikan, 2006]

- ▶ The anatomy of a large-scale hypertextual web search engine [Brin & Page 1998]
- ▶ US patent for PageRank granted in 2001
- ▶ Google indexes 10's of billions of web pages (1 billion = 10^9)
- ▶ Google serves ≥ 200 million queries per day
- ▶ Each query processed by ≥ 1000 machines
- ▶ All search engines combined process more than 500 million queries per day

Success story #2 Google PageRank

Problem: Find an eigenvector of a stochastic matrix.

- ▶ $n = 10^9$!!!
- ▶ luckily: **sparse** (average outdegree: 7)
- ▶ better than a simple centrality measure (e.g., degree)
- ▶ power method

$$\mathbf{v}_0 = (1_A \ 0_B \ 0_C \ 0_D \ 0_E \ 0_F)^\top$$

$$\mathbf{v}_1 = \mathbf{G}\mathbf{v}_0$$

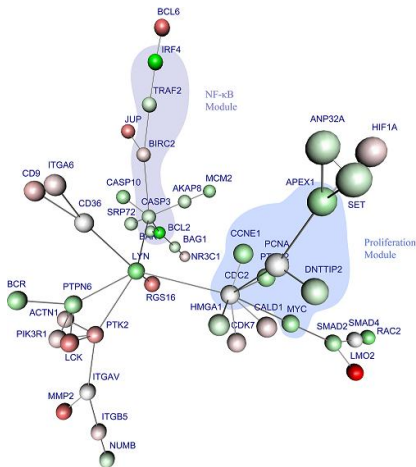
$$\mathbf{v}_{t+1} = \mathbf{G}\mathbf{v}_t = \mathbf{G}^{t+1}\mathbf{v}$$

$$\mathbf{v}_{t+1} = \mathbf{v}_t \implies \mathbf{G}\mathbf{v}_t = \mathbf{v}_t \quad \text{and we found the steady vector}$$

But wait, \mathbf{M} is sparse, but \mathbf{G} is dense! What to do?

Graphs from biological networks

- ▶ protein-protein interactions
- ▶ gene regulatory networks
- ▶ typical ML tasks
 - ▶ discover unexplored interactions
 - ▶ learn or reconstruct the structure



Diffuse large B-cell lymphomas - Dittrich et al. (2008)

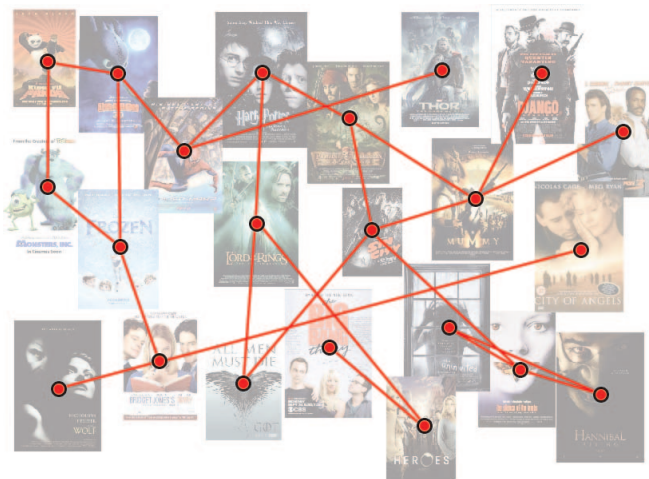
Graphs from similarity networks

graph is not naturally given



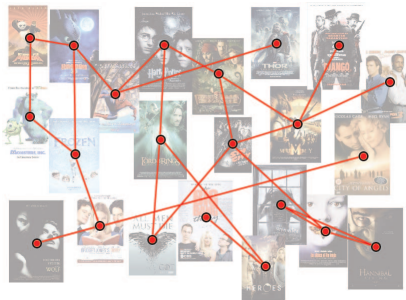
Graphs from similarity networks

and use it as an abstraction



Graphs from similarity networks

- ▶ vision
- ▶ audio
- ▶ text
- ▶ typical ML tasks
 - ▶ semi-supervised learning
 - ▶ spectral clustering
 - ▶ manifold learning



movie similarity

Two sources of graphs in ML

Graph as models for networks

- ▶ given as an input
- ▶ discover interesting properties of the structure
- ▶ represent useful information (viral marketing)
- ▶ be the object of study (anomaly detection)

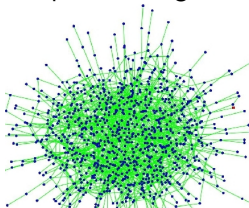
Graph as nonparametric basis

- ▶ we create (learn) the structure
- ▶ flat vectorial data \rightarrow similarity graph
- ▶ nonparametric regularizer
- ▶ encode structural properties: smoothness, independence, ...

Random Graph Models

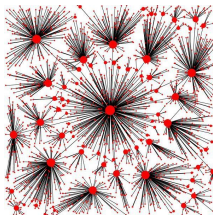
Erdős-Rényi

independent edges



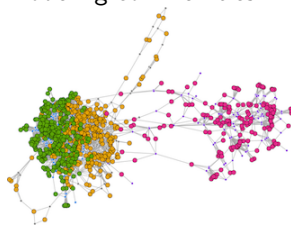
Barabási-Albert

preferential attachment



Stochastic Blocks

modeling communities



Watts-Strogatz, Chung-Lu, Fiedler,

What will you learn in the Graphs in ML course?

Concepts, tools, and methods to work with graphs in ML.

Theoretical toolbox to analyze graph-based algorithms.

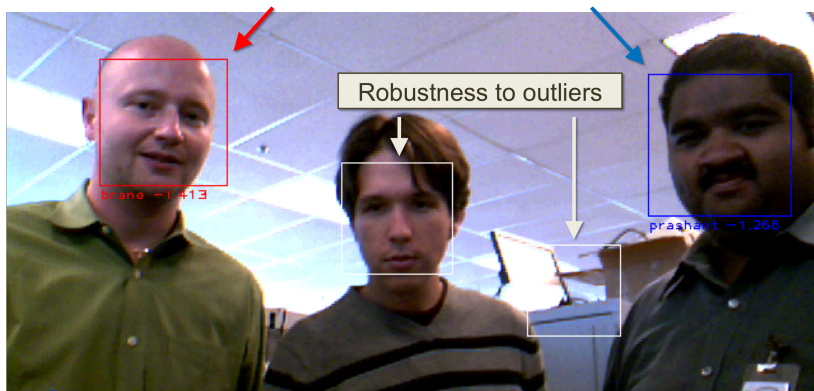
Specific applications of graphs in ML.

How to tackle: *large graphs, online setting, graph construction . . .*

One example: **Online Semi-Supervised Face Recognition**

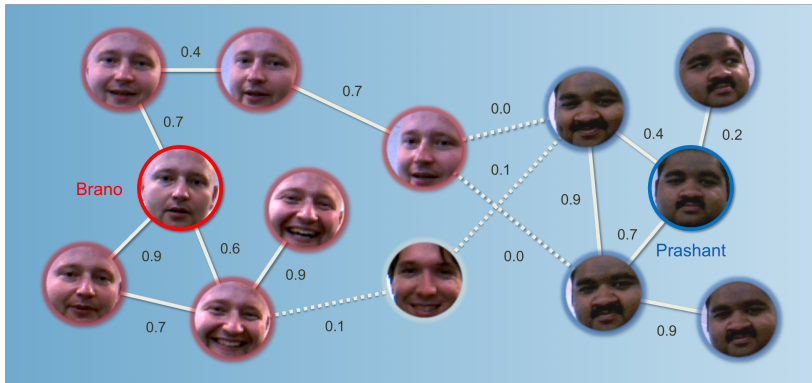
Online Semi-Supervised Face Recognition

graph is not given



Online Semi-Supervised Face Recognition

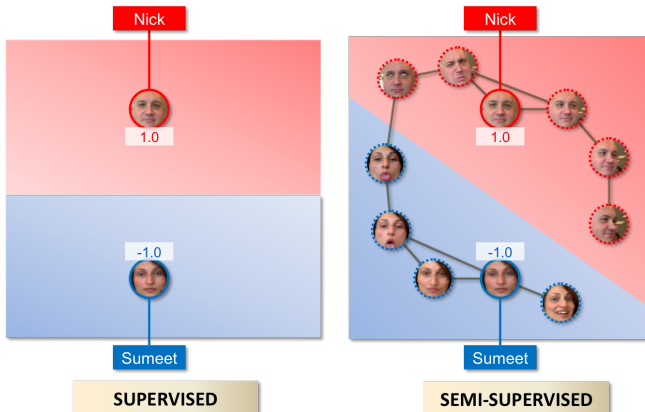
we will construct it!



An example of a similarity graph over faces. The faces are vertices of the graph. The edges of the graph connect similar faces. Labeled faces are outlined by thick solid lines.

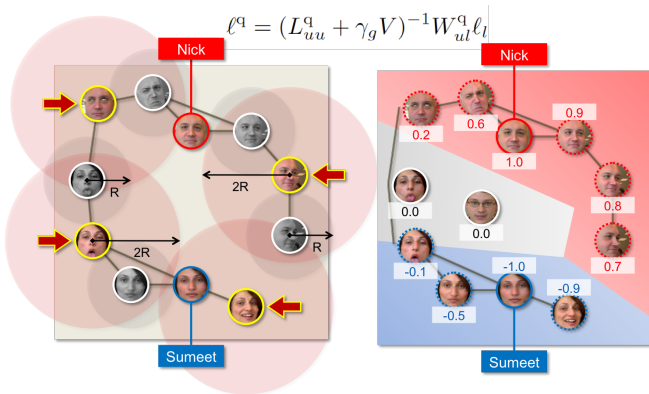
Online Semi-Supervised Face Recognition

graph-based semi-supervised learning



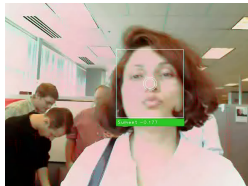
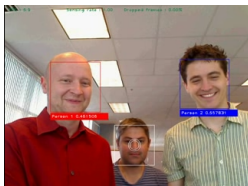
Online Semi-Supervised Face Recognition

online learning - graph sparsification



DEMO

second TD



see the demo: <http://researchers.lille.inria.fr/~valko/hp/serve.php?what=publications/kveton2009nipsdemo.officespace.mov>

OSS FaceReco: Analysis

$$\frac{1}{n} \sum_t (\ell_t^q[t] - y_t)^2 \leq \frac{3}{n} \sum_t (\ell_t^* - y_t)^2 + \frac{3}{n} \sum_t (\ell_t^o[t] - \ell_t^*)^2 + \frac{3}{n} \sum_t (\ell_t^q[t] - \ell_t^o[t])^2$$

Error of our
solution

Offline
learning error

Online learning
error

Quantization error

Claim: When the regularization parameter is set as $\gamma_g = \Omega(n_l^{3/2})$, the difference between the risks on labeled and all vertices decreases at the rate of $O(n_l^{-1/2})$ (with a high probability)

$$\frac{1}{n} \sum_t (\ell_t^* - y_t)^2 \leq \frac{1}{n_l} \sum_{i \in \mathcal{I}} (\ell_i^* - y_i)^2 + \beta + \sqrt{\frac{2 \ln(2/\delta)}{n_l}} (n_l \beta + 4)$$

$$\beta \leq \left[\frac{\sqrt{2}}{\gamma_g + 1} + \sqrt{2n_l} \frac{1 - \sqrt{c_u}}{\sqrt{c_u}} \frac{\lambda_M(L) + \gamma_g}{\gamma_g^2 + 1} \right]$$

OSS FaceReco: Analysis

$$\frac{1}{n} \sum_t (\ell_t^q[t] - y_t)^2 \leq \frac{3}{n} \sum_t (\ell_t^* - y_t)^2 + \frac{3}{n} \sum_t (\ell_t^o[t] - \ell_t^*)^2 + \frac{3}{n} \sum_t (\ell_t^q[t] - \ell_t^o[t])^2$$

Error of our
solution

Offline
learning error

Online learning
error

Quantization error

Claim: When the regularization parameter is set as $\gamma_g = \Omega(n^{1/4})$, the average error between the offline and online HFS predictions decreases at the rate of $O(n^{-1/2})$

$$\frac{1}{n} \sum_t (\ell_t^o[t] - \ell_t^*)^2 \leq \frac{1}{n} \sum_t \|\ell^o[t] - \ell^*\|_2^2 \leq \frac{4n_t}{(\gamma_g + 1)^2}$$

$$\|\ell\|_2 \leq \frac{\|y\|_2}{\lambda_m(C^{-1}K + I)} = \frac{\|y\|_2}{\lambda_m(K)\lambda_M^{-1}(C) + 1} \leq \frac{\sqrt{n_t}}{\gamma_g + 1}$$

OSS FaceReco: Analysis

$$\frac{1}{n} \sum_t (\ell_t^q[t] - y_t)^2 \leq \frac{3}{n} \sum_t (\ell_t^* - y_t)^2 + \frac{3}{n} \sum_t (\ell_t^o[t] - \ell_t^*)^2 + \frac{3}{n} \sum_t (\ell_t^q[t] - \ell_t^o[t])^2$$

Error of our
solution

Offline
learning error

Online learning
error

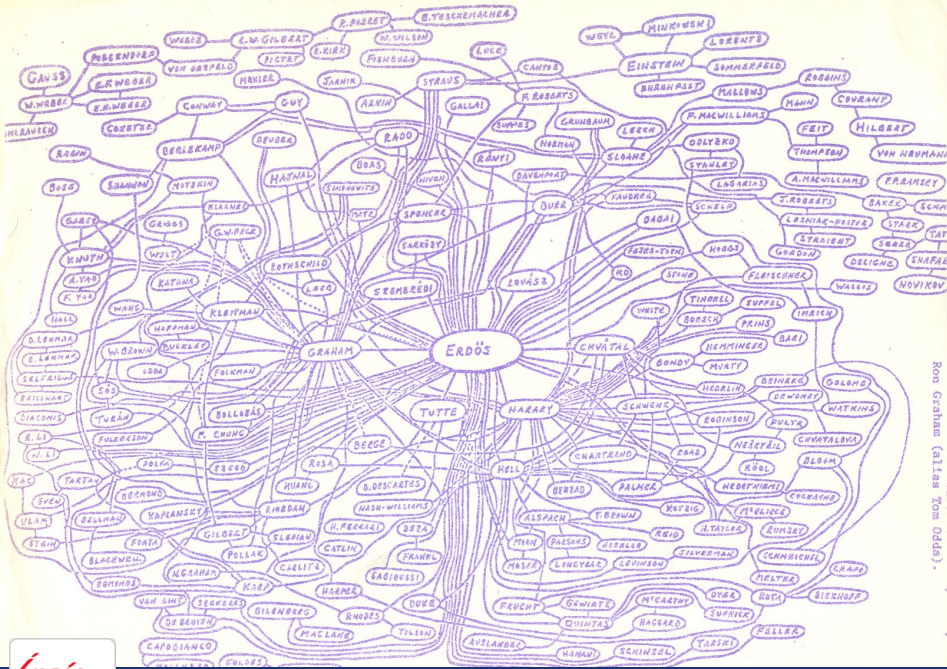
Quantization error

Claim: When the regularization parameter is set as $\gamma_g = \Omega(n^{1/8})$, and the Laplacians L^q and L^o are normalized, the average error between the online and online quantized HFS predictions decreases at the rate of $O(n^{-1/2})$

$$\frac{1}{n} \sum_t (\ell_t^q[t] - \ell_t^o[t])^2 \leq \frac{1}{n} \sum_t \|\ell^q[t] - \ell^o[t]\|_2^2 \leq \frac{n_t}{c_u^2 \gamma_g^4} \|L^q - L^o\|_F^2$$

$$\|L^q - L^o\|_F^2 \propto O(k^{-2/d})$$

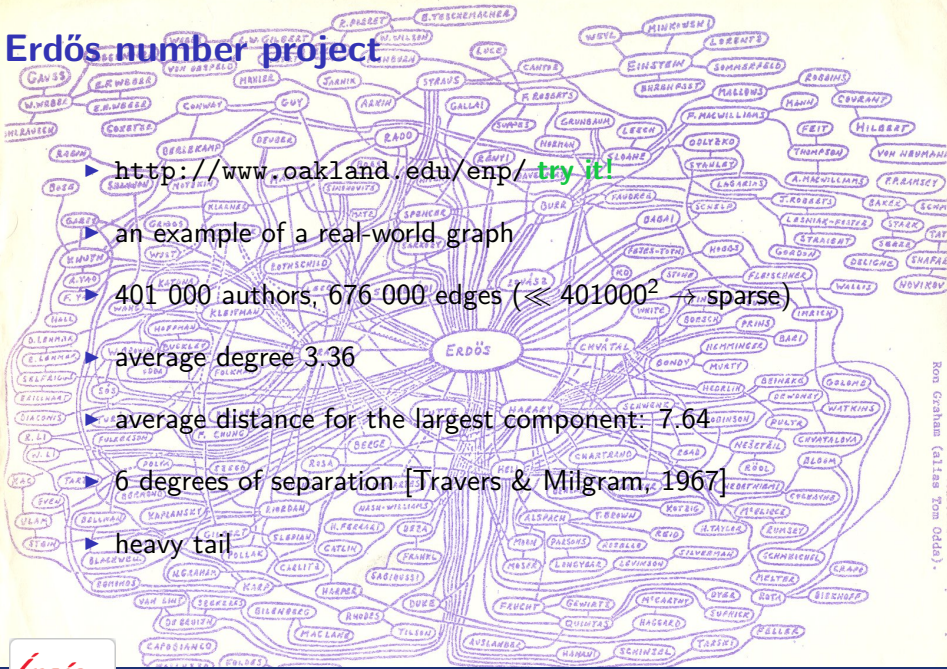
The distortion rate of online k-center clustering is $O(k^{-1/d})$, where d is dimension of the manifold and k is the number of representative vertices



Ron Graham (alias Tom Odde) .



Erdős number project

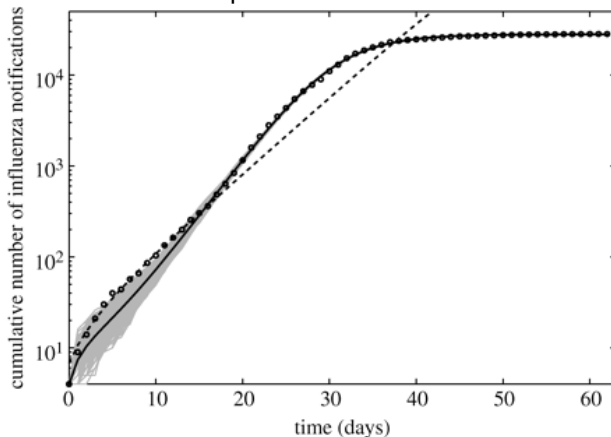


- ▶ <http://www.oakland.edu/enp/> **try it!**
- ▶ an example of a real-world graph
- ▶ 401 000 authors, 676 000 edges ($\ll 401000^2$ → sparse)
- ▶ average degree 3.36
- ▶ average distance for the largest component: 7.64
- ▶ 6 degrees of separation [Travers & Milgram, 1967]
- ▶ heavy tail

Ron Graham (alias Tom Odde)

Spanish flu in San Francisco 1918–1919

Small-world phenomenon and diseases

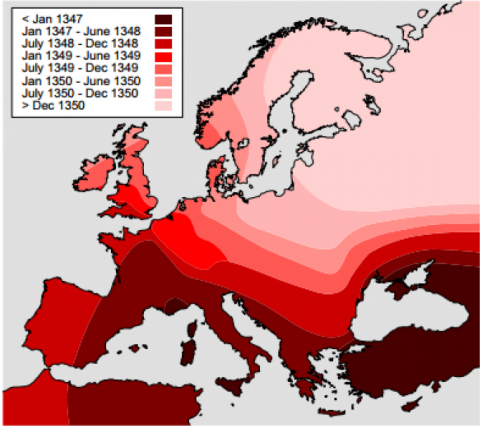


<http://rsif.royalsocietypublishing.org/content/4/12/155>

Black death!



Black death: spread



source: catholic.org

<https://www.youtube.com/watch?v=EEK6c9Bh5CQ>



Some of the other topics

- ▶ spectral graph theory, graph Laplacians, spectral clustering
- ▶ semi-supervised learning and manifold learning
- ▶ learnability on graphs - transductive learning
- ▶ online decision-making on graphs, graph bandits
- ▶ submodularity on graphs
- ▶ real-world graphs scalability and approximations
- ▶ spectral sparsification
- ▶ social network and recommender systems applications
- ▶ link prediction/link classification
- ▶ signed networks (eOpinions)
- ▶ generalization bounds by perturbation analysis

Links to the other courses

- ▶ **Introduction to statistical learning**
 - ▶ links to the learning theory on graphs: label propagation, learnability, generalization
- ▶ **Reinforcement learning**
 - ▶ link to the online learning (bandit) lecture at the end of the semester
- ▶ **Advanced learning for text and graph data**
 - ▶ data-mining graph course on the topics not covered in this course
 - ▶ details on the next slide

MVA and Graphs: 2 courses

The two MVA graph courses offer complementary material.

Fall: [Graphs in ML](#)

this class

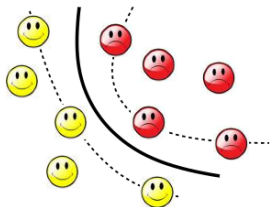
- ▶ focus on learning
- ▶ spectral clustering
- ▶ random walks
- ▶ graph Laplacian
- ▶ semi-supervised learning
- ▶ manifold learning
- ▶ theoretical analyses
- ▶ online learning
- ▶ recommender systems

Xmas: [ALTeGraD](#)

by Michalis Vazirgiannis

- ▶ dimensionality reduction
- ▶ feature selection
- ▶ text mining
- ▶ graph mining
- ▶ community mining
- ▶ graph generators
- ▶ graph-evaluation measures
- ▶ privacy in graph mining
- ▶ big data

Statistical Machine Learning in Paris!



<https://sites.google.com/site/smileinparis/sessions-2016--17>

DELTA: PhD proposal

Dynamically Evolving Long-Term Autonomy

- ▶ join project between 4 partners, UPF Barcelona, MUL Austria, ULG Belgium, and Inria
- ▶ Jonsson, Neu, Gomez, Valko, Kaufmann, Lazaric, Auer, Ortner, Cornelusse, Ernst
- ▶ **PhD position at Sequel team at Inria**
- ▶ project starts on 1.1.2018, PhD student expected to start September/October 2018
- ▶ 4 postdocs, one in each center
- ▶ Inria will lead the effort on adaptive planning with a model that can adapt to changes. Inria will work with MUL on the hierarchical state partitioning

Administrivia

Time: Mondays 10h30-12h30

Place: ENS Cachan - Salle Condorcet

7-8 lectures: 2.10. 9.10. 15.10. 30.10. 6.11. 20.11. 11.12. 18.12.

3 recitations (TDs): 23.10. 13.11. 27.11. (14h-16h)

Validation: grades from TDs (40%) + class project (60%)

Research: contact me for *internships*, *PhD theses*, *projects*, etc.

Course website:

<http://researchers.lille.inria.fr/~valko/hp/mva-ml-graphs>

Contact, online class discussions, and announcements:

https://piazza.com/ens_cachan/fall2017/mvagraphsml

class code given during the class

Michal Valko

michal.valko@inria.fr

ENS Paris-Saclay, MVA 2017/2018

SequeL team, Inria Lille — Nord Europe

<https://team.inria.fr/sequel/>